

H.W. p. 608 86, 88, 90, 92, 108

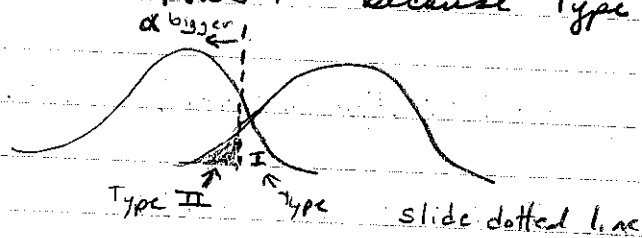
86. $H_0: \mu = \$85,000$ $H_a: \mu > \$85,000$ $\mu =$ true mean income
Power = 0.64 - Interpret of pop of people living near restaurant

If the true mean income in the population of people who live near the restaurant is $\mu = \$86,000$ then there is a 64% chance we will find convincing evidence for $H_a: \mu > \$86,000$

88. a) $n \downarrow$ variability \uparrow \therefore Power \downarrow more overlap.
smaller sample size gives less info about true mean, μ .

b) Effect size \downarrow Power \downarrow more overlap.
It's harder to detect a smaller difference between the null + alternative parameter values.

c) if $\alpha \uparrow$ from .05 to .10 Power \uparrow because Type II Error \downarrow
(Type I \uparrow)



one
90. a) Disadvantage of using $\alpha = 0.10$ instead of $\alpha = 0.05$ is that it increases probability of a Type I Error

one
b) Disadvantage of taking $n = 50$ people instead of $n = 30$ is that it takes more time + money.

$H_0: p = 0.37$ $H_a: p > 0.37$ $p = \text{true prop of student at this school who are satisfied w/ parking after the change.}$
 92. a) Power is .75 for $p = 0.45$

If the true proportion of students at this school who are satisfied with the parking situation after the change is $p = 0.45$, then there is a 0.75 probability that the principal will find convincing evidence for $H_a: p > 0.37$.
 If the alternative H_a is true, then there is a .75% chance of getting convincing evidence for H_a .

b) $P(\text{Type I Error}) = \alpha = 0.05$
 $P(\text{Type II Error}) = 1 - \text{Power} = 1 - 0.75 = 0.25$

c) Power would increase if you increase sample size, less variability - less overlap.
 Or use a larger significance level, $\alpha = 0.10$

108. b) $P(\text{Type II Error}) = 1 - \text{Power}$
 $1 - .90 = 0.10$

93. a) Power = $1 - P(\text{Type II error})$ $1 - 0.14 = 0.86$

b) $P(\text{Type I Error}) = \alpha = 0.01$